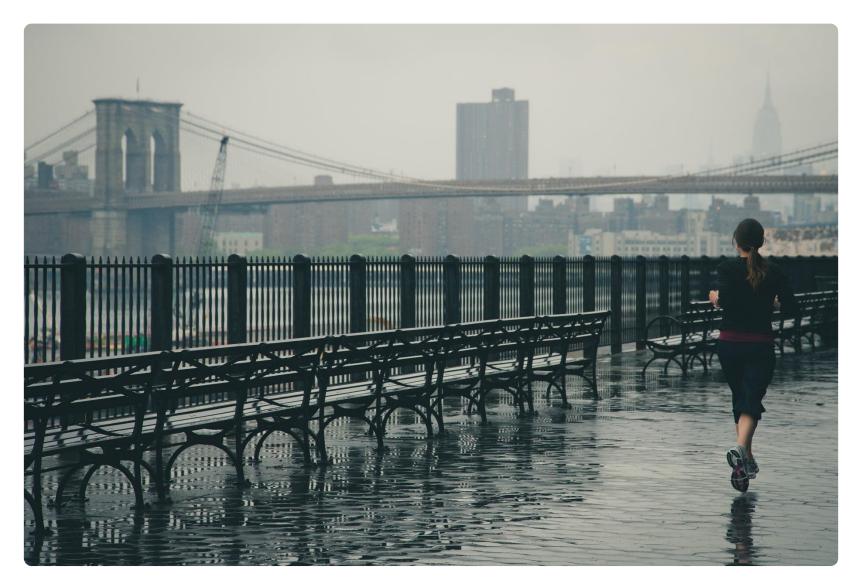
Concentric and incremental multi-robot mapping to observe complex scenes

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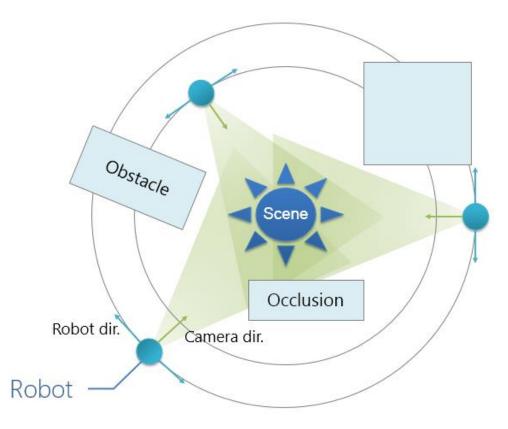
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The Problem

- Team of mobile robots
 - Observe a scene
 - Can communicate
- Unknown environment
 - Obstacles
 - Occlusions
- Dynamic scene
 - Someone doing something
- Coordinate the robots online to find the joint best point of view on the scene

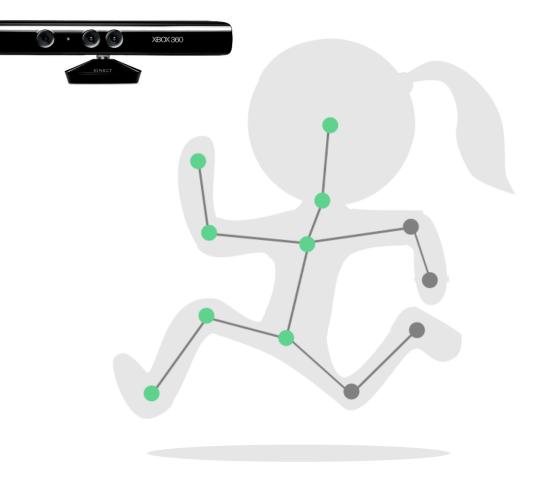


Outline

- 1. Observation problem
- 2. Incremental mapping
- 3. Navigation with heursitic approaches
- 4. Experiments

Observation problem

- Local observation
 - Body joints seen by 1 robot
 - Binary vector
 o_i = [1 1 1 1 1 1 1 0 0 0 0]
- Observation quality
 - Number of bits at 1 $q(o_i) = 8$



Observation problem

- Joint observation
 - Body joints seen by the team
 - Logical OR between local observations $o_1 = [1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 0 \ 0 \ 0]$ $o_2 = [0 \ 0 \ 0 \ 0 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1]$ $[1 \ 1 \ 1 \ 1 \ 1 \ 1 \ 1]$
 - $q(o_1 \cup o_2) = 12$
- Find the joint position that maximize the quality of the *joint observation*



Our approch

Environment representation

Concentric modeling Incremental mapping

Space exploration

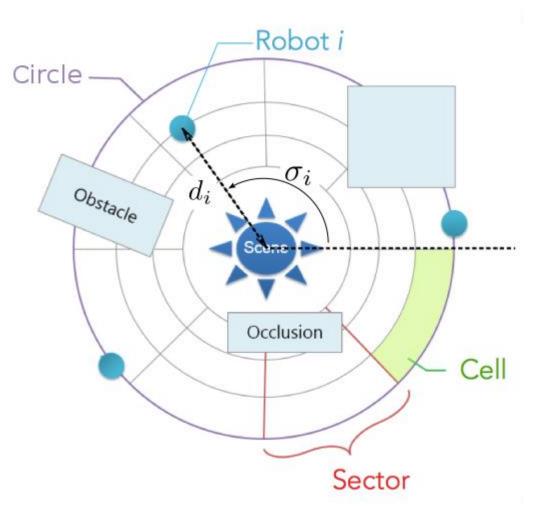
Anytime algorithm Heuristic search

Outline

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A Map of the World

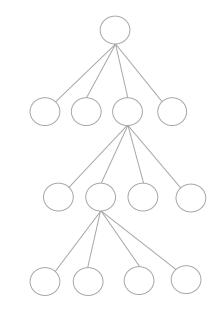
- Concentric model
 - Circles
 - Sectors
 - Cells
- Polar coordinates
- Robots can move to adjacent cells
 - 1 cell = 1 position



The Map

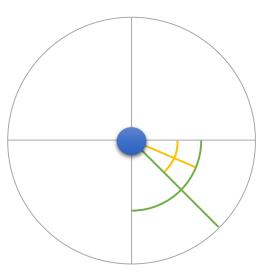
Quadtree

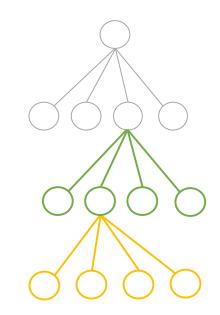
- Tree structure
- 0 or 4 children per node
- 1 node = 1 cell = 1 position
 - Stores mean local quality
- Occupancy grid
 - 1 occupancy value per node
 - Probability that a cell is occupied (Kraetzschmar & al, 2004)
- But how can this quadtree be a map?



Concentric incremental mapping

- Incremental space division
 - Split cells recursively
 - Avoid bad positions, refine interesting areas only
 - Deal with space complexity





Outline

- 1. Observation problem
- 2. Incremental mapping
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Which robot will go?

- Marginal contribution w_i of a robot i
- (Shapley, 1953)
- What it sees that *no other robot* sees

$$w_i = q(o_i) - q(o_i \cap \bigcup_{j \neq i} o_j)$$

- Example
 - $o_1 = [1 \ 1 \ 0 \ 1 \ 1 \ 0 \ 1 \ 0 \ 1 \ 0 \ 1 \ 0 \ 1 \] \implies w_1 = 4$
 - $o_2 = [0\ 0\ 1\ 1\ 0\ 0\ 1\ 0\ 1\ 0\ 1\ 1] \implies w_2 = 3$
- Move the robot with the *lowest marginal contribution*
 - Prevent quality drop
 - Detect changes in scene activity

What to do? Where to go?

- A robot can...
 - ... split a cell
 - ... move to an adjacent cell
- Metaheuristics for exploration-exploitation trade-off
 - 1. Simulated annealing
 - Decreasing temperature parameter
 - 2. Tabu search
 - Queue containing k forbidden cells
- Anytime algorithm
 - Always get the best joint position found so far

Scheme of the algorithm

- 1. Select a robot
 - The one with the lowest marginal contribution
- 2. Choose and execute an action
 - According to a metaheuristic
- 3. Compute the new joint quality
- 4. Go to 1
- Anytime algorithm
 - Always get the best position found so far

Outline

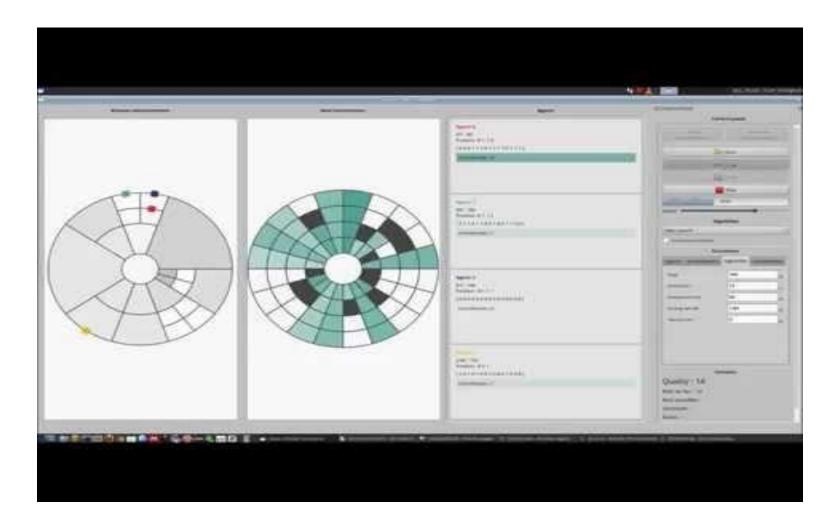
- 1. Observation problem
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Experiments

- Simulated environment
- Count how many times each metaheuristic finds the best joint position
- Compared with a random algorithm
 - Random robot selection
 - Random move on the map

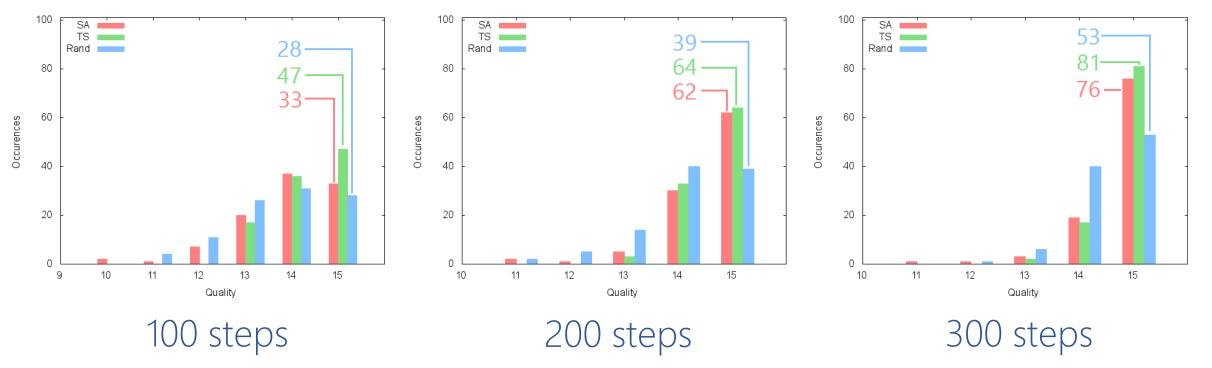


Simulator

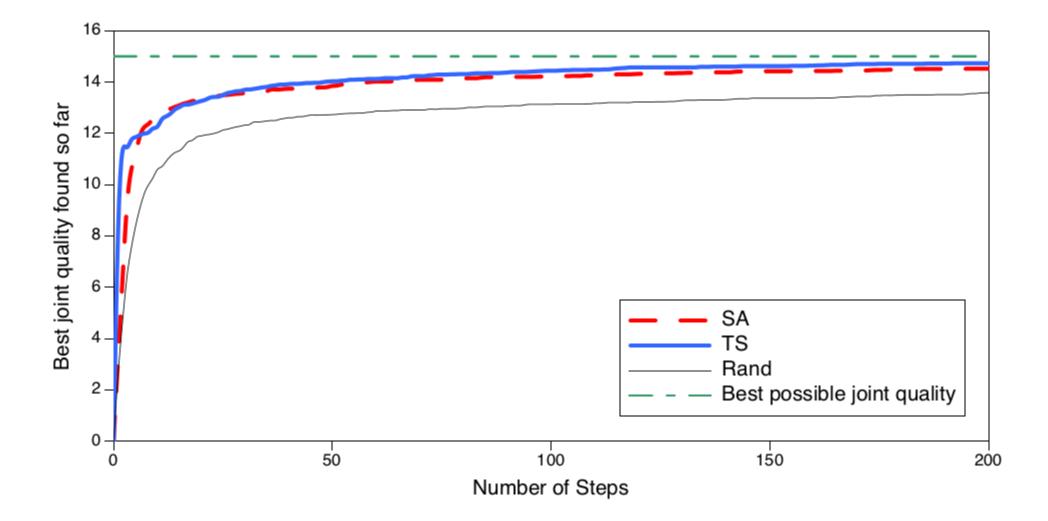


Results

3 robots



Results



In a nutshell



Problem

Scene to observe Mobile robots Unknown environment



Mapping

Incremental map Occupancy grid Contribution Metaheursitics Anytime algorithm

Observation



Ongoing work

Adaptation to scene changing (ICRA 2016) Thank you.

Questions?

References

Cohen J., Matignon L., Simonin O. *Concentric and incremental multi*robot mapping to observe complexe scenes. 2015.

Kraetzschmar G. K., Gassull G. P., Uhl K. *Probabilistic quadtrees for variable-resolution mapping of large environments*. 2004.

Shapley, L. S. A value for n-person games. 1953.